

# EUROPEAN ORGANIZATION FOR NUCLEAR RESEARCH

CB Note/295

## JDC data errors.

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**Abstract :** 95 % of all  $p\bar{p}$  annihilation contain 2,4 and 6 "prongs". They represent at least 50 % of the "terra incognita" which remains to be discovered. To explore this field, we need to use JDC data, i.e. , the 3 momenta ( $p, \varphi, \lambda$ ) of the charged particles produced in the annihilations (and, possibly, their  $dE/dx$ ).

In this note we propose a method to estimate possible systematic errors on the evaluation of ( $p, \varphi, \lambda$ ).

# 1 Introduction

We start from the principle that, given a sample of events of well defined nature, i.e.

$$p\bar{p} \rightarrow \pi^+\pi^- \quad (1)$$

a kinematic fit of these events, constraining the variables to fulfil energy-momentum conservation, will yield fitted values closer to the "truth" and will tend, in the limit of a pure sample (no background), and statistically correctly measured variables (with their errors) to yield exactly the "correct physical values" :

$$V_m \rightarrow V_v$$

$V_m$  : measured value of the variable  $V$ .  $V_v$  : correct physical value of this variable.

Of course, this principle is only applicable when:

- 1) the measured values are not too different from the truth.
- 2) the measurement errors (and correlation matrix) are gaussian and correctly estimated.
- 3) the sample is pure (i.e. all events submitted to the kinematic fit are example of the kinematic hypothesis applied to them).

In practice, we find that condition 1 is fulfilled for JDC data (at least for "long tracks"); condition 2 is in general satisfied with the present errors, within 20% to 30% (no need for scaling !). condition 3 is more delicate to satisfy. For reaction (1), for instance, background as

$$p\bar{p} \rightarrow \pi^+\pi^-\gamma, p\bar{p} \rightarrow K^+K^-, p\bar{p} \rightarrow \pi^+\pi^-\pi^0 \dots$$

will shift down the momenta so that  $(P_m - P_v)$  for these events will be shifted downwards.

The same remark is valid for

$$p\bar{p} \rightarrow 2\pi^+2\pi^- \quad (2)$$

(with a contamination due mainly to  $2\pi^+2\pi^-\pi^0$ ).

In practice, we introduce severe selection criteria before and after kinematic fit: For reaction (1),(2) and (3):

$$p\bar{p} \rightarrow \pi^+\pi^-\pi^0, \pi^0 \rightarrow 2\gamma \quad (3)$$

we enter into kinematic fit only events which satisfy:

$$P_{tot} < 100 MeV/c$$

$$1780 MeV < E_{tot} < 1980 MeV$$

(for annihilation at rest).

After kinematic fit, we keep only events which fit hypothesis (1),(2) or (3) with  $CL > 20\%$ .

A quantitative estimation of possible biases, distortions, systematic errors is now possible by inspection of the pull distributions:

$$P(V) = \frac{V_m - V_v}{\sqrt{\sigma_m^2 - \sigma_v^2}}$$

If there are no distortions, the pulls should be centered on zero, and if, in addition, the errors on the measurements are correctly estimated,  $P(V)$  should be a normal gaussian distribution (RMS=1.). We are now primarily interested in the shift from zero, for the central

value of the pulls. For some run periods,(see below), this shift was found to be very significant for  $\frac{1}{P_{xy}}$ , indicating that a spurious curvature may have to be added (or subtracted) to the true curvature, so that

$$\frac{1}{P_m} = \frac{1}{P_v} \pm \frac{1}{D} \quad (4)$$

Note that this systematic distortion will affect the measured variable  $\frac{1}{P_{xy}}$  in a momentum dependent way. Indeed, the shift observed for the pulls increases with  $P_m$  as was shown for reaction (2) and (3). [  $D$  is a "first order correction" which we can introduce to eliminate a possible systematic error on  $P$ . In cloud chamber and bubble chamber experiments, it was known as the "Maximum Detectable Momentum" and it was introduced, in general, not to correct for systematic distortion, but to give a lower limit to the momentum measurement error :

$$\Delta P_D = \frac{\pm P_m^2}{D} \quad (5)$$

How to override the fudge factors (for jun91) and how to introduce  $D$ .  
SUBROUTINE USER

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IF(ICH.GT.0) Q(JTTKS+41)=Q(JTTKS+41)/FUDGE(1)
IF(ICH.LT.0) Q(JTTKS+41)=Q(JTTKS+41)/FUDGE(2)
Q(JTTKS+41)=Q(JTTKS+41)+1./D
Q(JTTKS+46)=Q(JTTKS+46)/(FUDGE(5)*FUDGE(5))
Q(JTTKS+47)=Q(JTTKS+47)/(FUDGE(5)*FUDGE(3))
Q(JTTKS+48)=Q(JTTKS+48)/(FUDGE(3)*FUDGE(3))
Q(JTTKS+49)=Q(JTTKS+49)/(FUDGE(5)*FUDGE(4))
Q(JTTKS+50)=Q(JTTKS+50)/(FUDGE(3)*FUDGE(4))
Q(JTTKS+51)=Q(JTTKS+51)/(FUDGE(4)*FUDGE(4))

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## 2 Results

See the Table for the statistics which have been used. For the June 91 data, we find that it is necessary and sufficient to introduce an MDM of  $D = 20 \text{ GeV} (\pm 5 \text{ GeV})$  to shift the pulls in  $1/P_{xy}$  from 0.54 (positive tracks) and 0.39(negative tracks) to 0.03(positive) and 0.02(negative) for the sample of 2 prong  $2 \gamma$ . The same MDM  $D = 20 (\pm 3) \text{ GeV}$  is needed for the 4 prong  $0 \gamma$  sample to obtain a similar effect. Note that the sigma of the pulls,  $\sigma = 0.8$  is what we expect for a sample defined by a CL cut at 20 % :

Repeating the same procedure with various CL cut, we find that samples of  $\pi^+\pi^-\pi^0$  and  $2\pi^+2\pi^-$ , with CL cut extrapolated to 0, and with  $D=20 \text{ GeV}$ , yield pulls distributions centered to 0 ( $\pm 5\%$ ) and with  $\sigma = 1.0(\pm 0.10)$  (see Fig.1-4).

Note also that the number of good events fitting  $\pi^+\pi^-\pi^0$  and  $2\pi^+2\pi^-$  increases significantly once  $D=20 \text{ GeV}$  has been introduced.

The same procedure applied to the June 94 sample shows that the corresponding MDM is much larger ( $-120 \text{ GeV}$ ), i.e. no significant distortion is detected in these data.

According to Christoph Strassburger, the Bonn team, applying the same procedure to deuterium data (1 prong:  $\pi^-\pi^0\pi^0$ ) and (3-prong:  $\pi^+\pi^-\pi^-$ ) found similar results for October 91 data (MDM of 18 GeV is needed), whereas for June 94, no MDM is necessary.

Comparing the errors obtained by Locator to  $\Delta P_D$  of eq.(5): we see that the distortion observed with the "old" JDC does not introduce a significant additional error, which therefore do not need to be modified (and do not need "scaling" factors).

	June 91		June 94
	4 prng 0 $\gamma$	2 prng 2 $\gamma$	2 prng 2 $\gamma$
N ev.	31 150	9604	3224
N ev. fitted D is $\propto$ CL 20%	11 400	2008	
N ev. fitted D=20 GeV, CL 20%	15357	4998	
N ev. fitted D=-120 GeV, CL 20%			2022

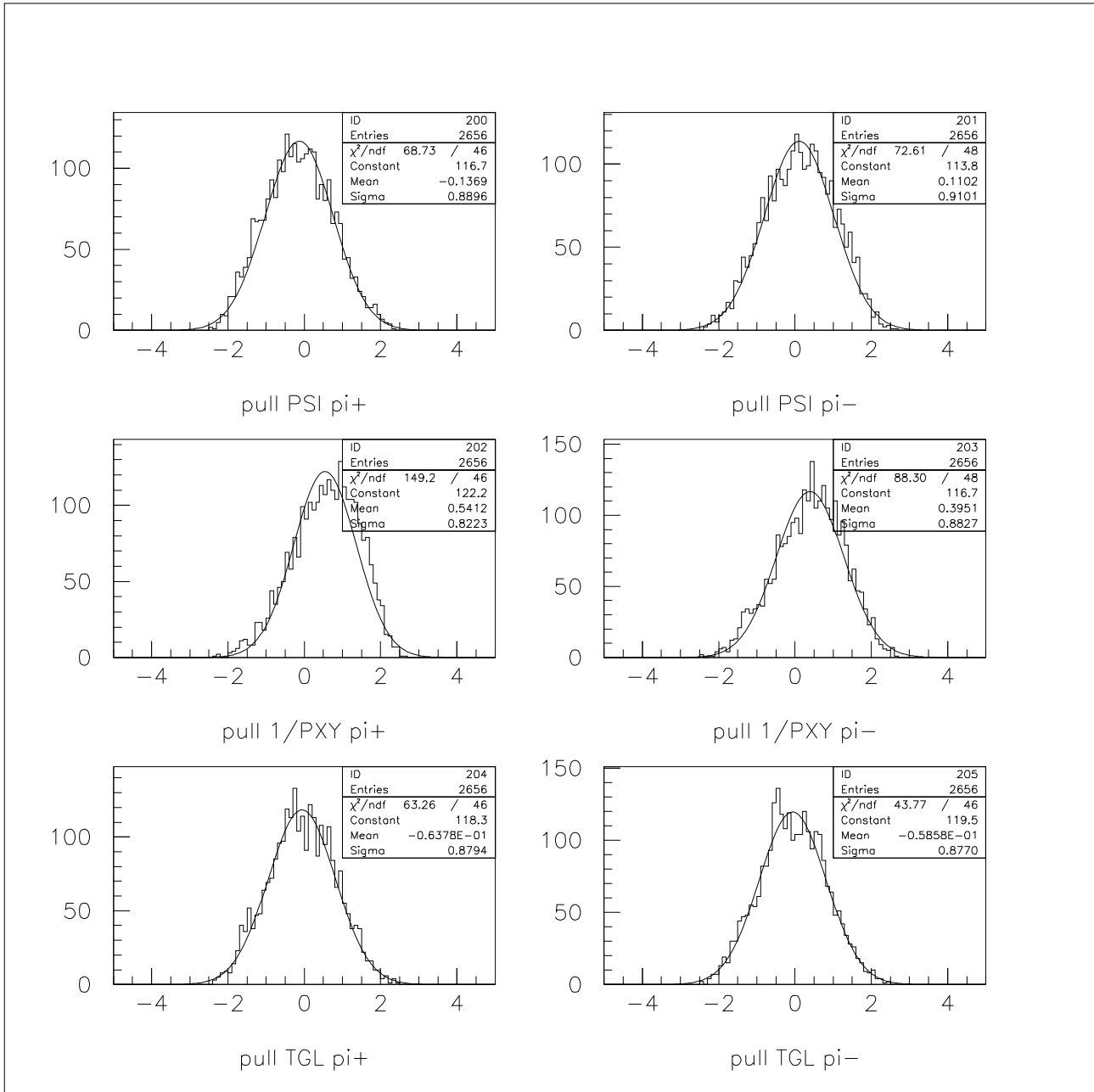


Figure 1: pulls for  $\pi^+ + \pi^- - \pi^0$  before correction.

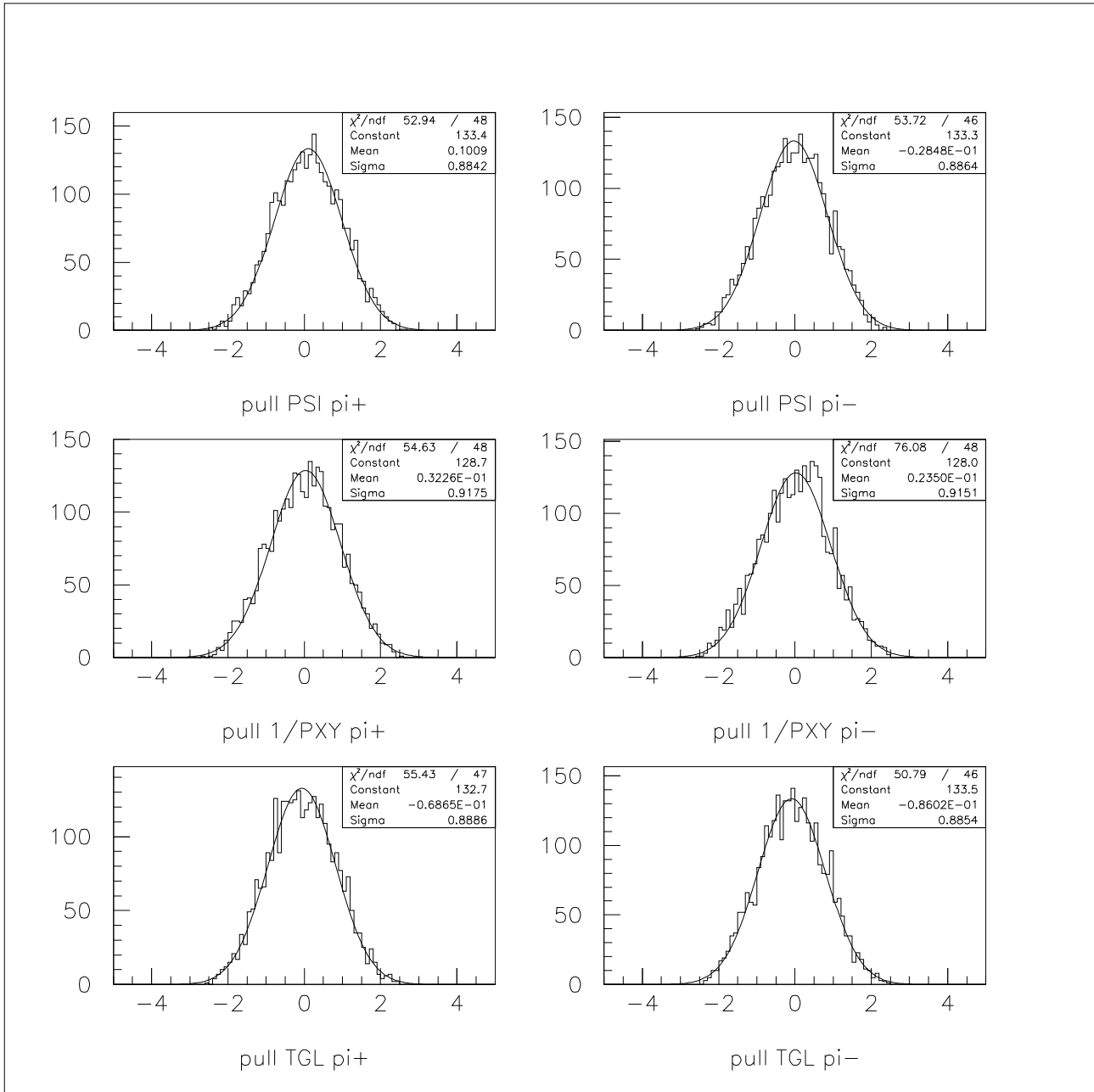


Figure 2: pulls for  $\pi^+ + \pi^- - \pi^0$  after correction.

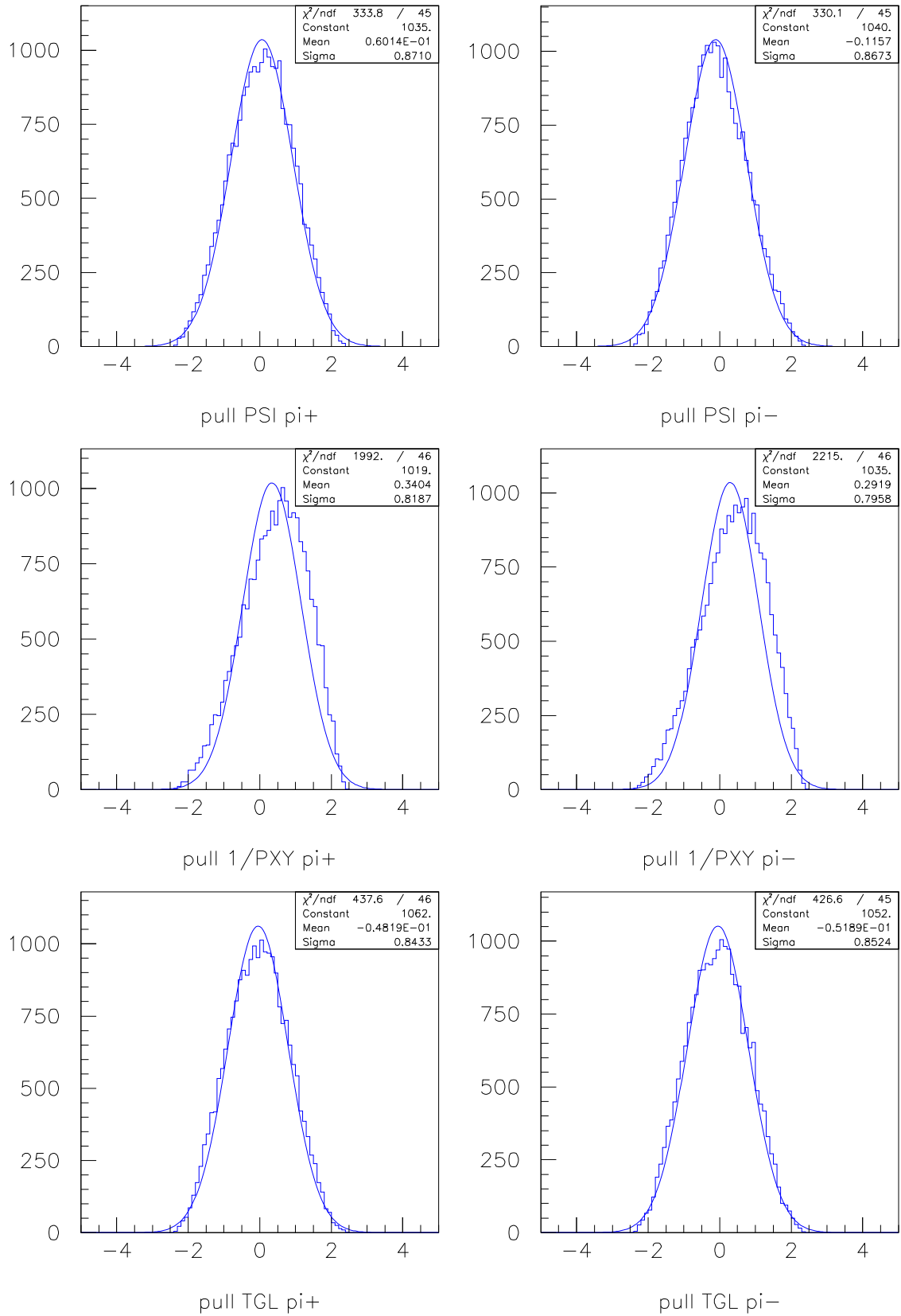


Figure 3: pulls for  $\pi^+\pi^-\delta\pi^+\pi^-$  before correction.



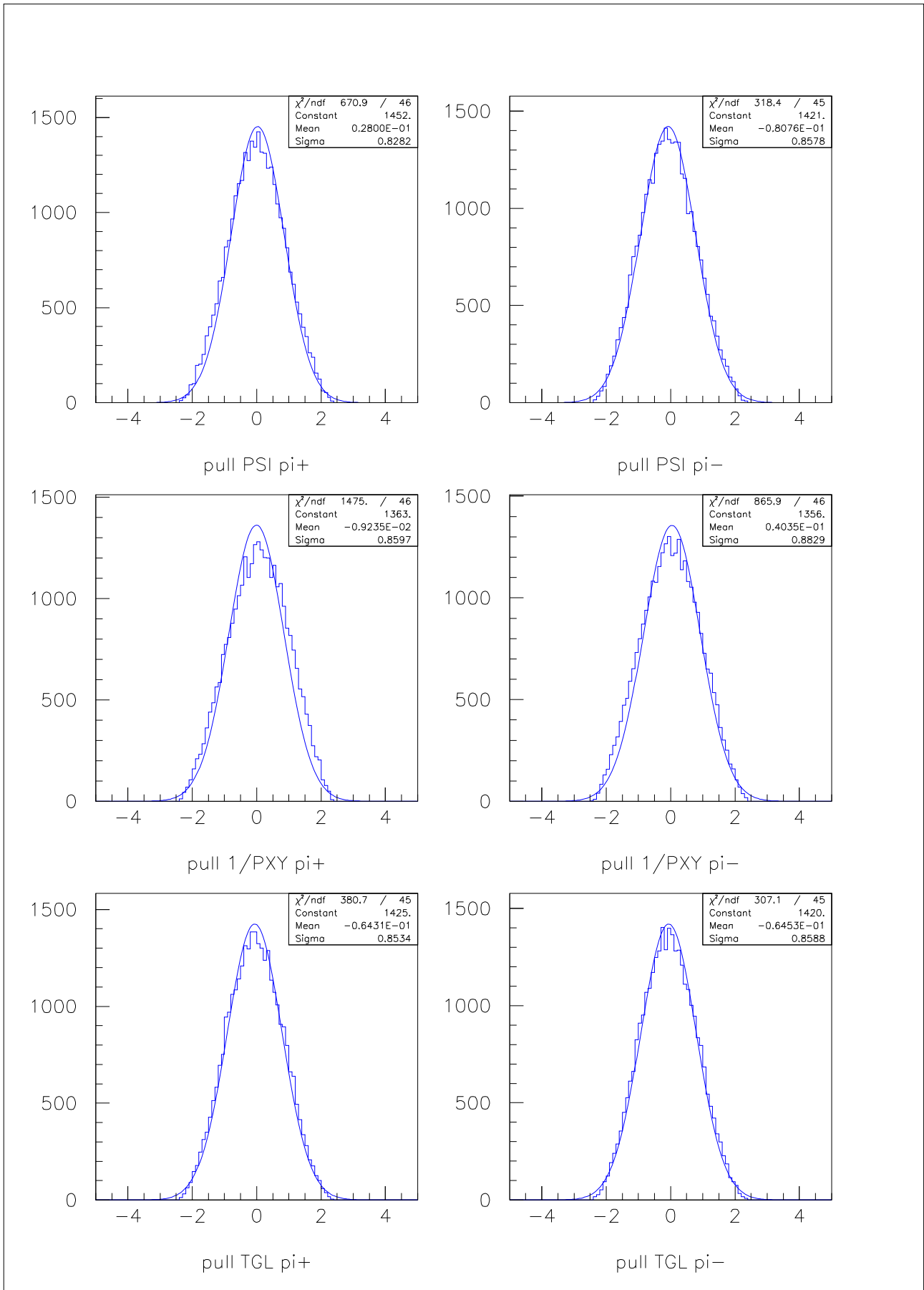


Figure 4: pulls for  $\pi^+\pi^0\pi^+\pi^-$  after correction.