Fogginess in Kinematic Fit.

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The problem is to extract the channel

$$\bar{p}p \rightarrow R1R2n\pi^0,$$
 (1)

with R1 and R2 decaying into $\pi^+\pi^-\pi^0$ from seven π annihilations

$$\bar{p}p \rightarrow 2\pi^+ 2\pi^- n\pi^0$$
 (2)

If m(R1) = m(R2), we have to consider a priori 24 combinations for n=3 . For example,

$$\bar{p}p \rightarrow \omega\omega\pi^0$$
 (3)

$$\bar{p}p \rightarrow \eta \eta \pi^0$$
 (4)

If not, for example

$$\bar{p}p \rightarrow \omega \eta \pi^0$$
 (5)

the number of combinations is twice as much. For n=2 the current version of CB Kinematic Fit is not efficient when the number of combinations is too large. Indeed the CB-K fit is first looking for the best $\pi^+\pi^-\pi^0$, i.e. the combination which has a mass closest to the PDG value for R1, then it takes for R2 the best of the remaining $\pi^+\pi^-\pi^0$ with π^0 going into $\gamma\gamma$. In these conditions, R1 is always narrower than R2 and the number of combinations giving a good fit probability is about two. We have introduced a new algorithm, which treats two resonances R1 and R2 on

equal footing. We defined a parameter F (Fogginess) and

$$F_i = \frac{(m(\pi^+_i \pi^-_j \pi^0_k) - m_{R1})^2}{\sigma_{R1}^2} + \frac{(m(\pi^+_l \pi^-_m \pi^0_n) - m_{R2})^2}{\sigma_{R2}^2}$$
(6)

where i = 1, 2, ..., n; n is the number of combination; σ_{R1} and σ_{R2} are the observed width for the corresponding resonances; m_{R1} and m_{R2} are PDG values of masses of these resonances.

	Number of events	Number of events
	with only one good	with only one good
Reaction	combination	combination
	by normal Kin.fit	by new algorithm
$\bar{p}p o \omega\omega\pi^0$	750	1450
$\bar{p}p \to \omega \eta \pi^0$	597	930
$\bar{p}p \to \eta \eta \pi^0$	46	85
$\bar{p}p o \omega \omega$	237	245

We define as the best combination , the combination with the minimum value of F_i .

The results, obtained by using two different algorithms of Kinematic Fits are shown in the Table. The advantage of new algorithm is obvious, the number of events with only one good combination increases by a factor two.

REFERENCES 3

References

 $[1]\,$ N.Djaoshvili et al., CB-Note-321